

FIG. 1

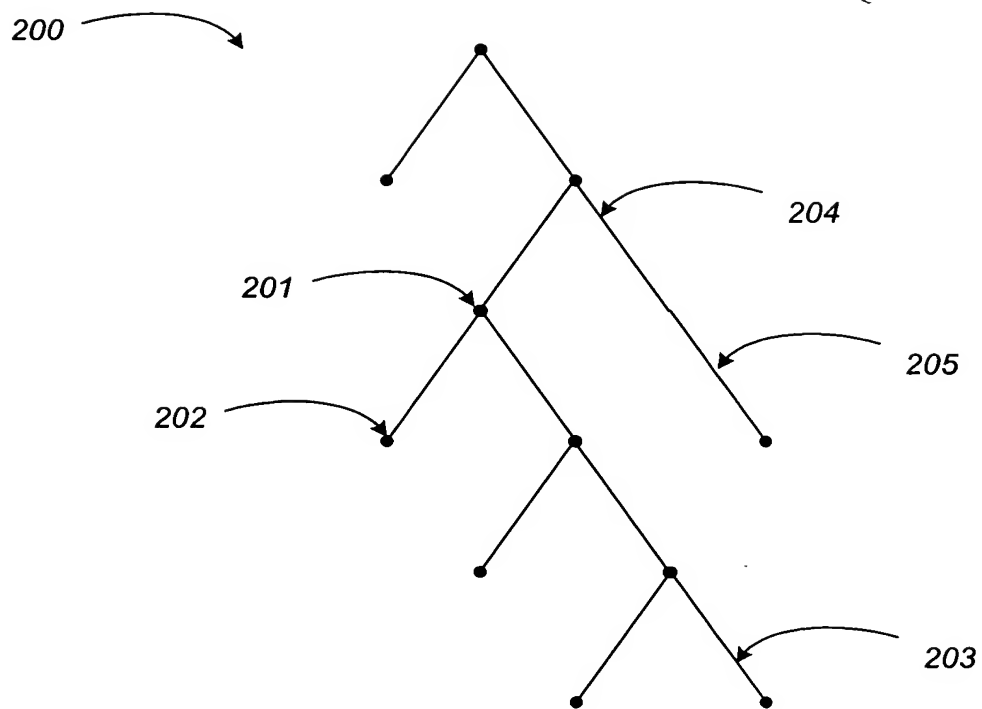
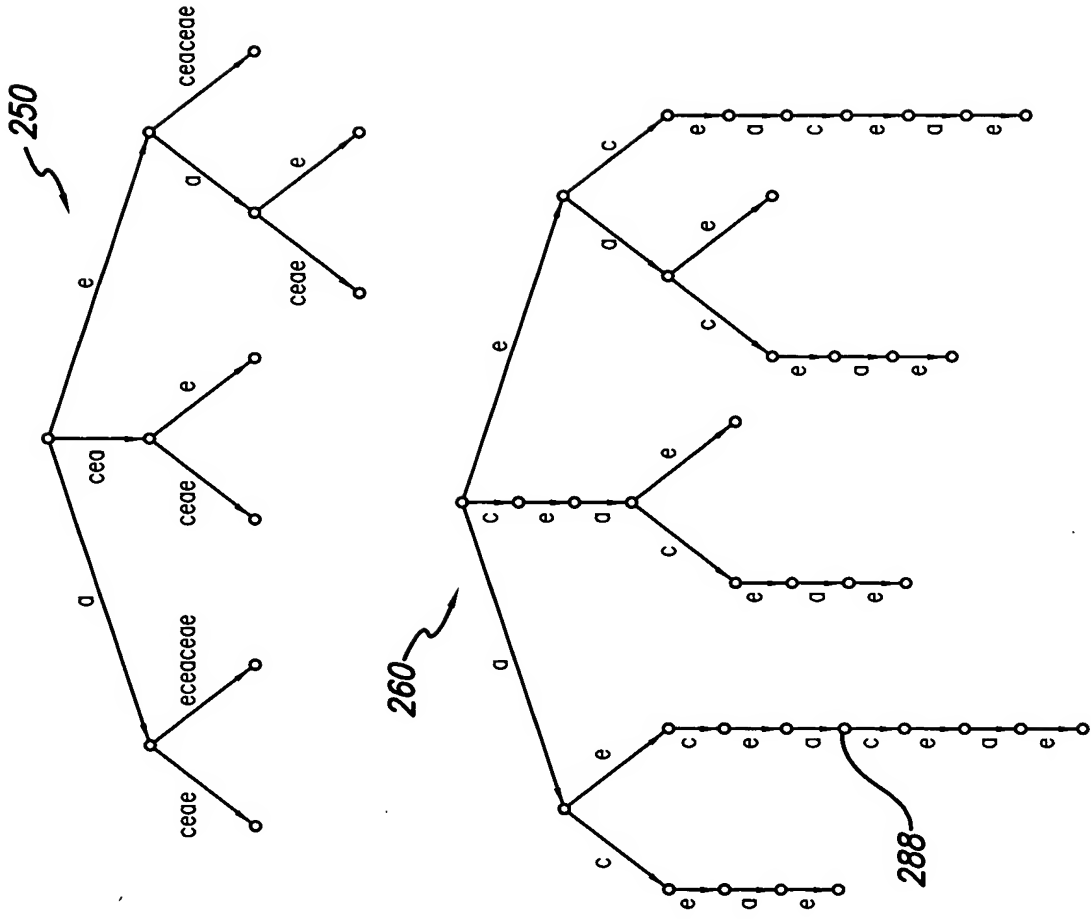


FIG. 2A

FIG. 2B



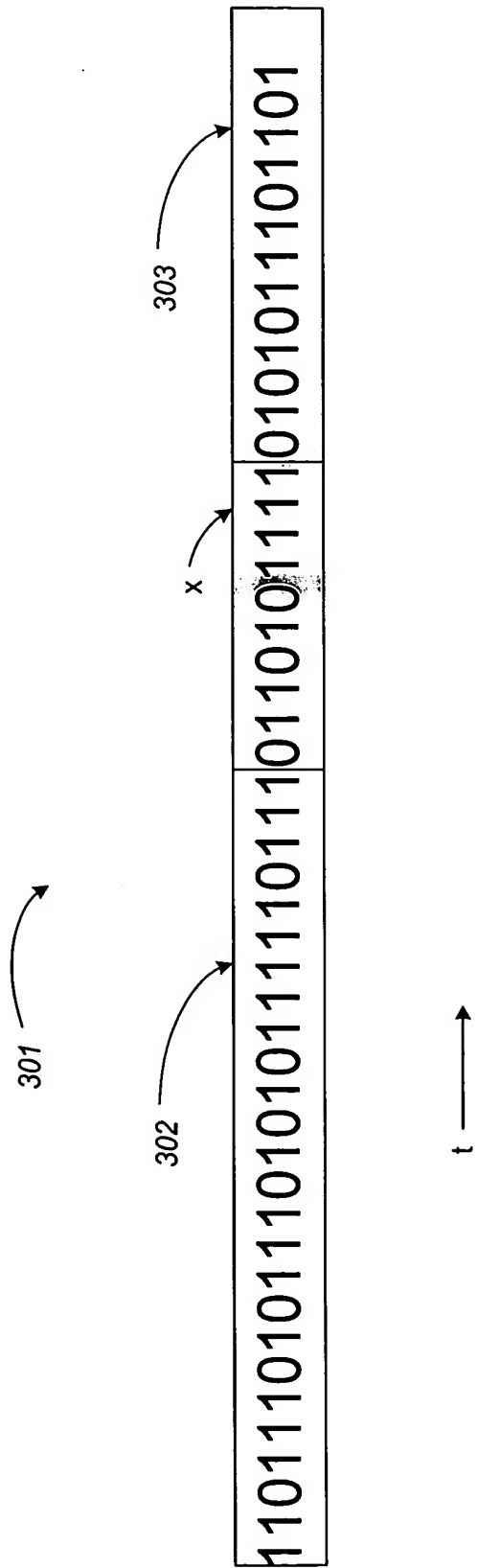


FIG. 3

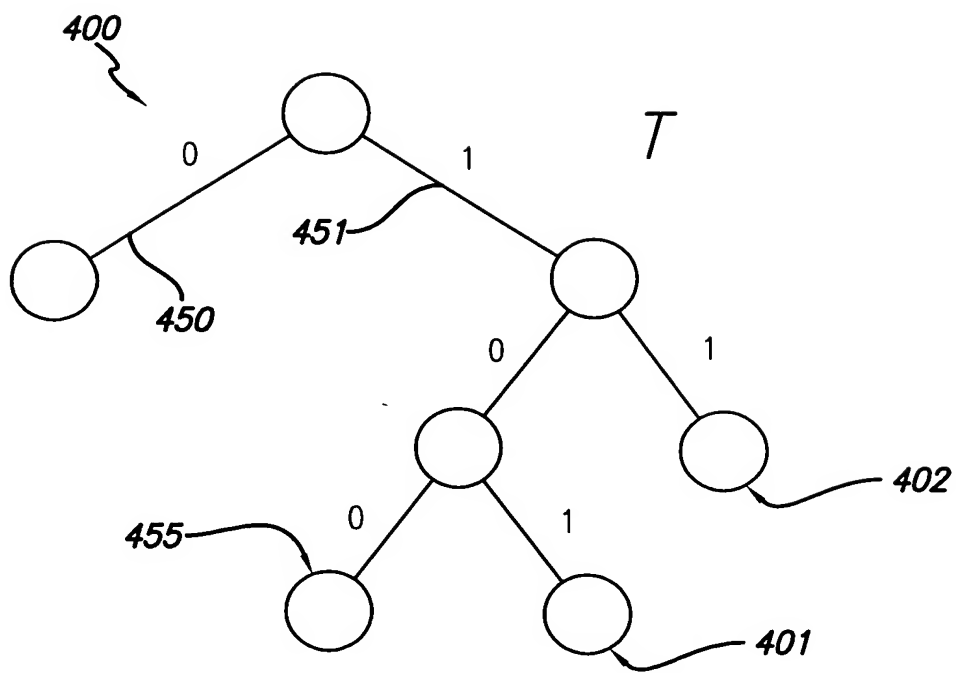


FIG. 4

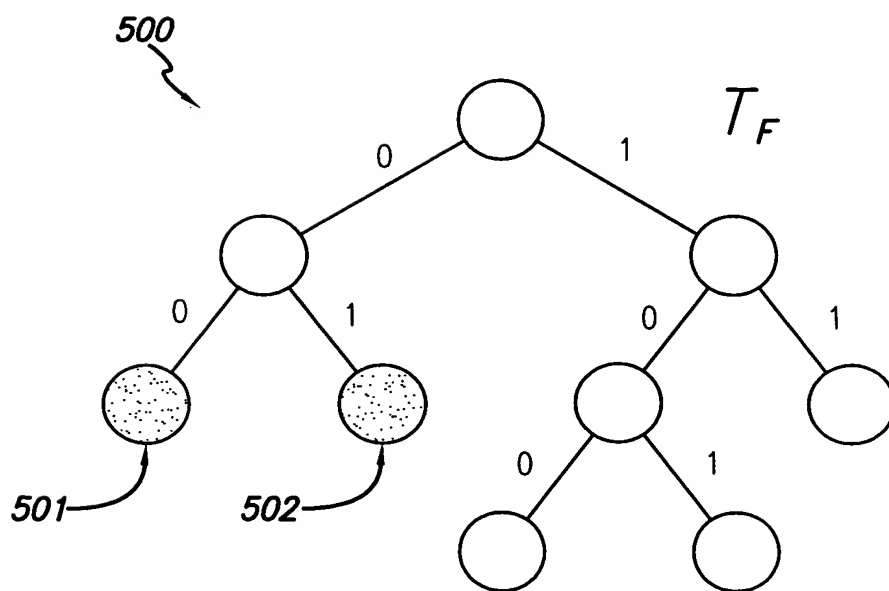
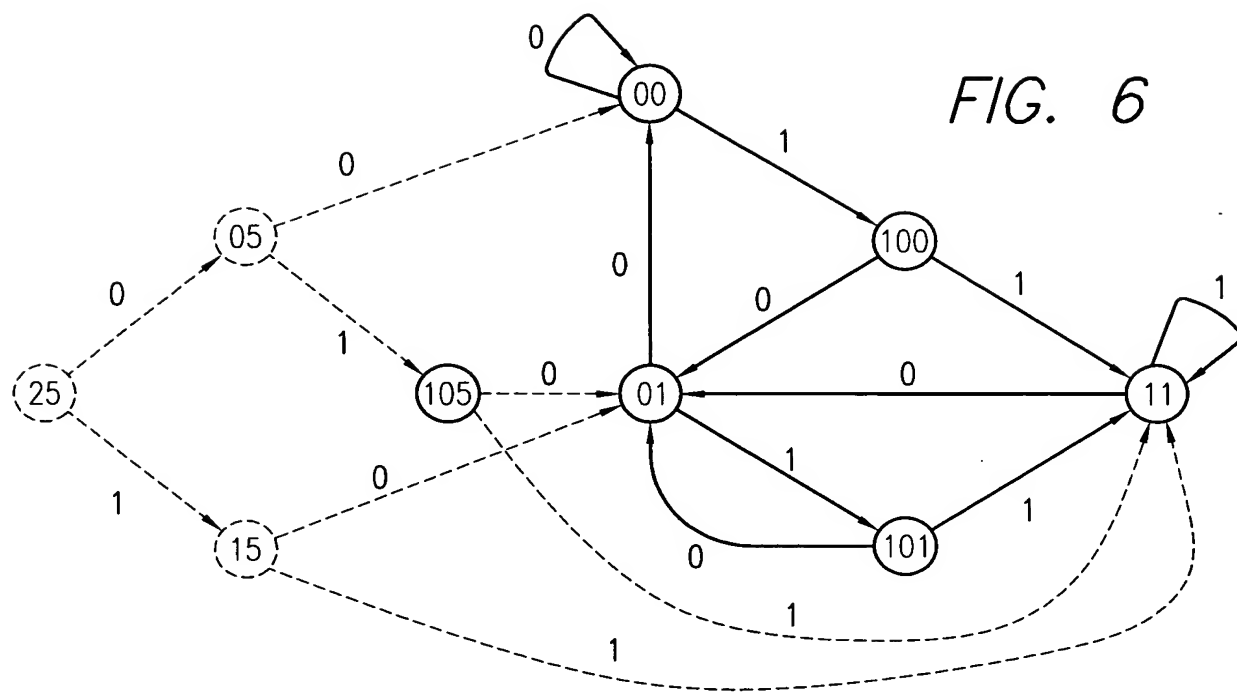


FIG. 5



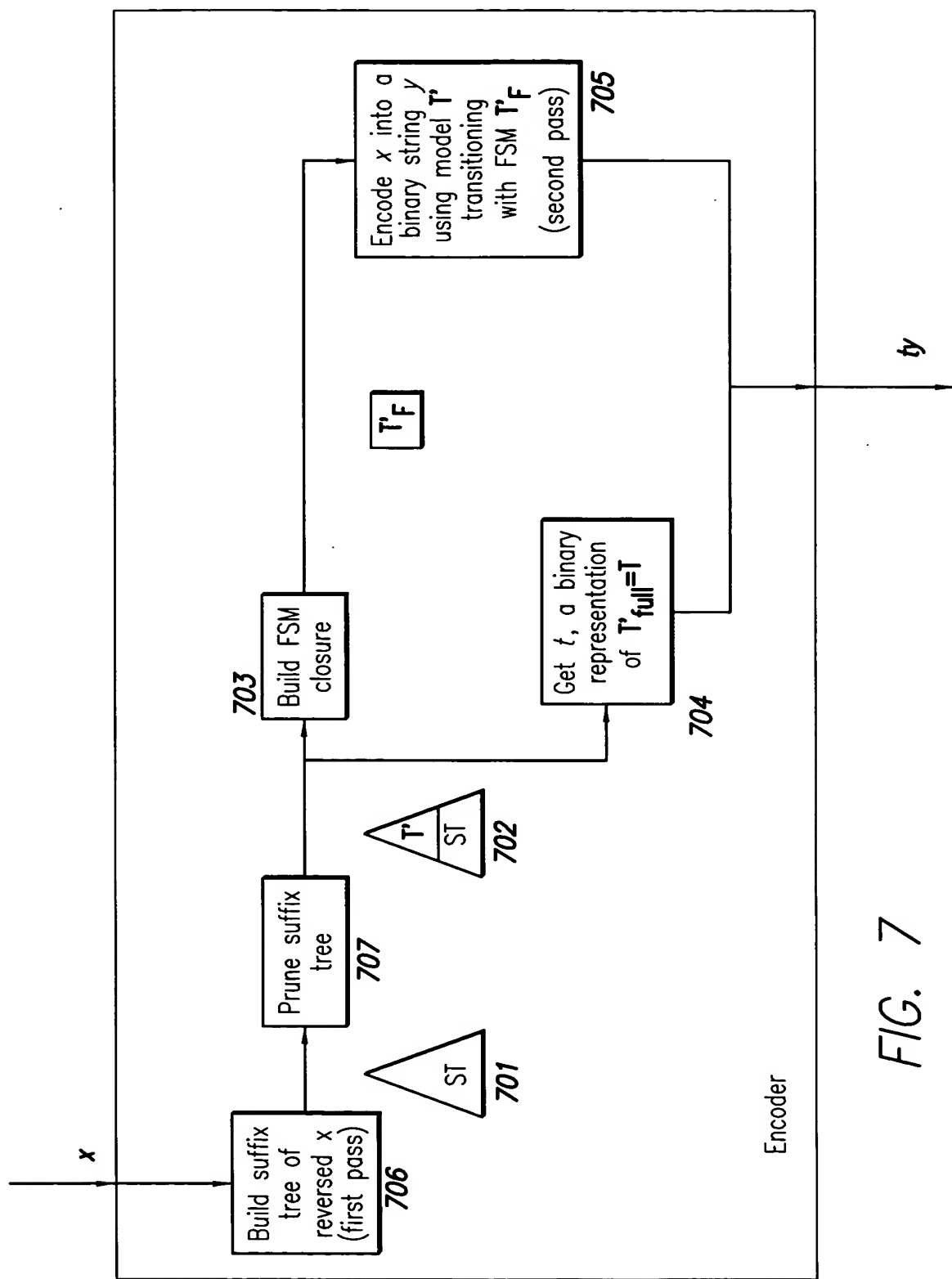


FIG. 7

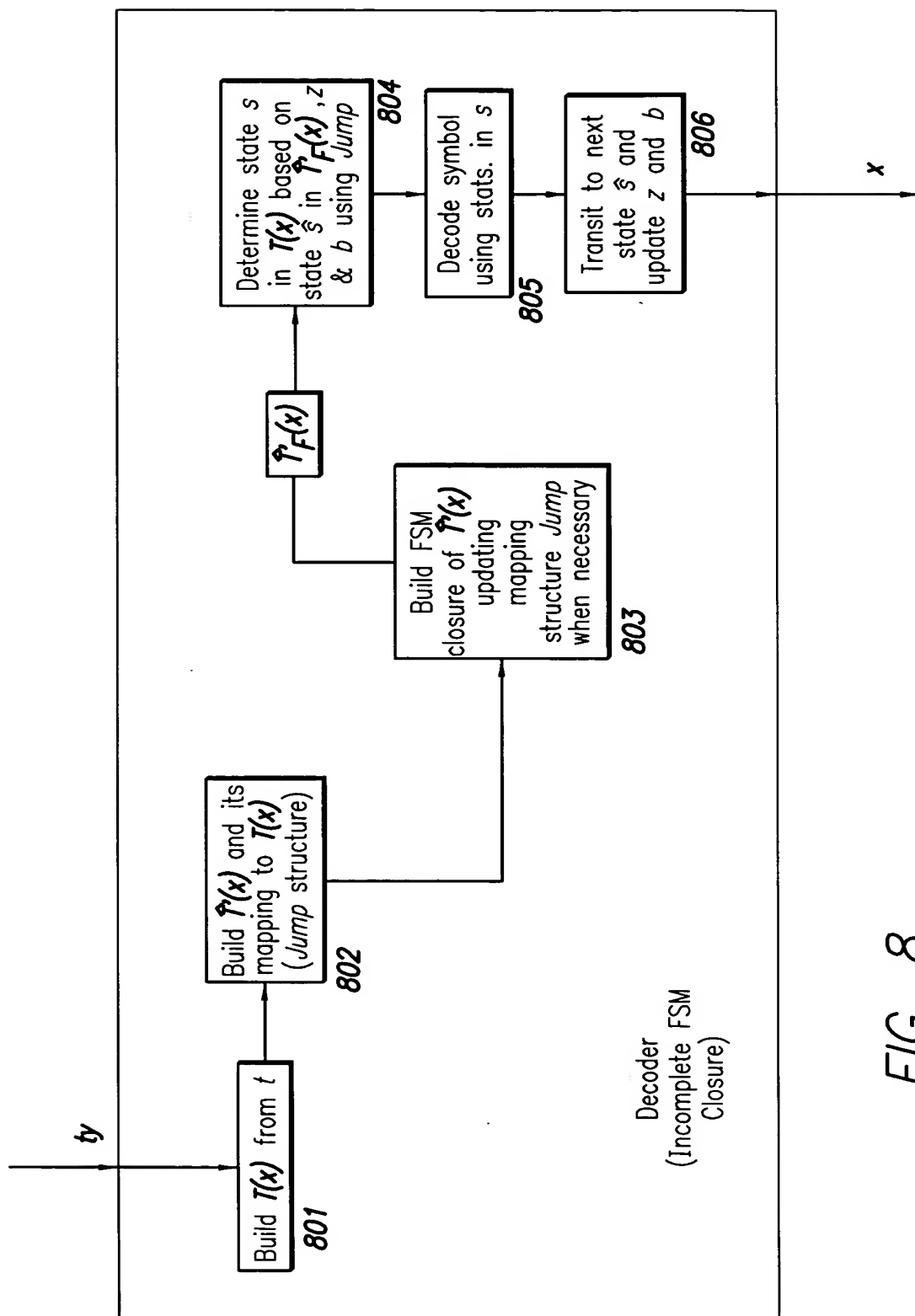


FIG. 8



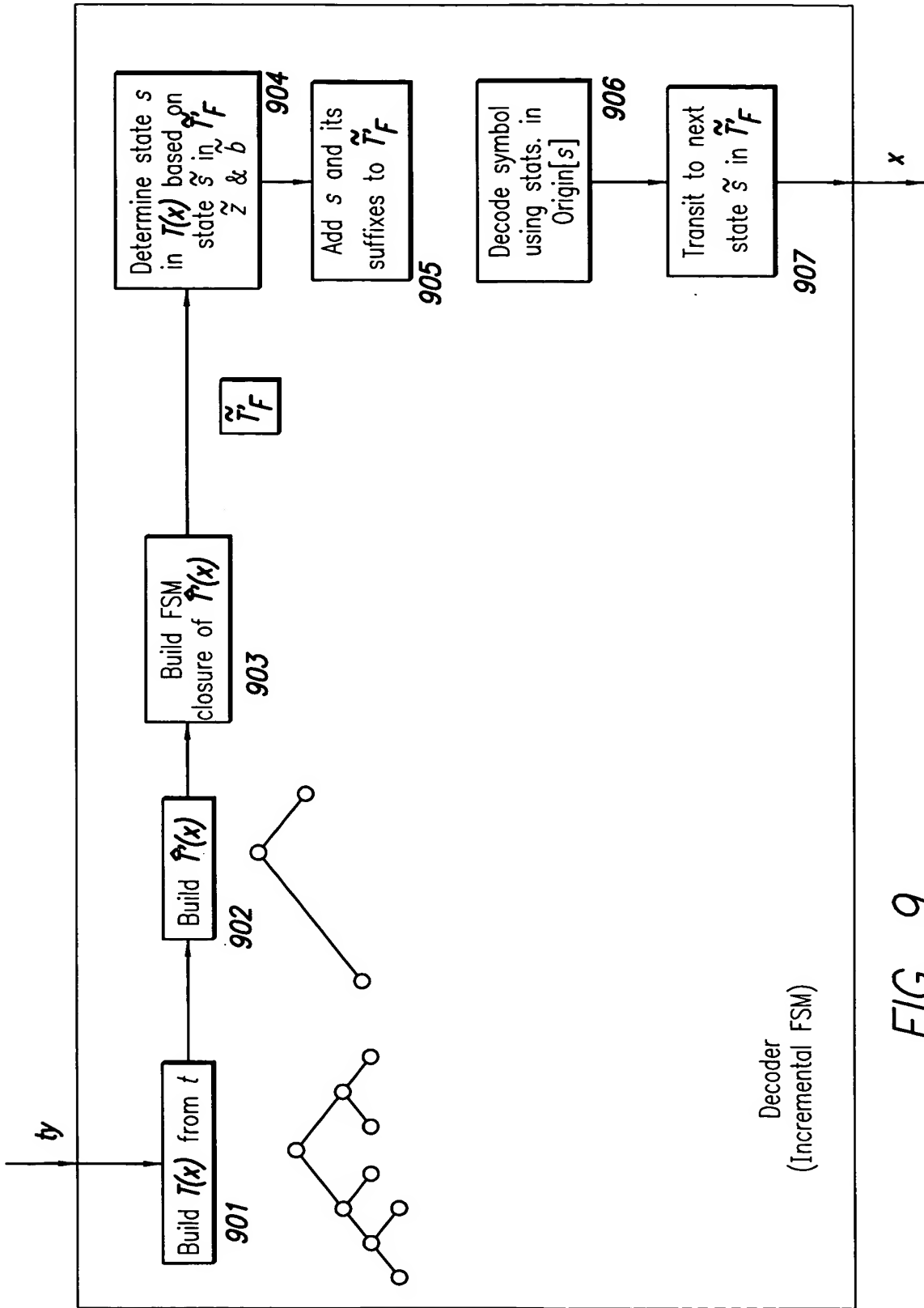


FIG. 9

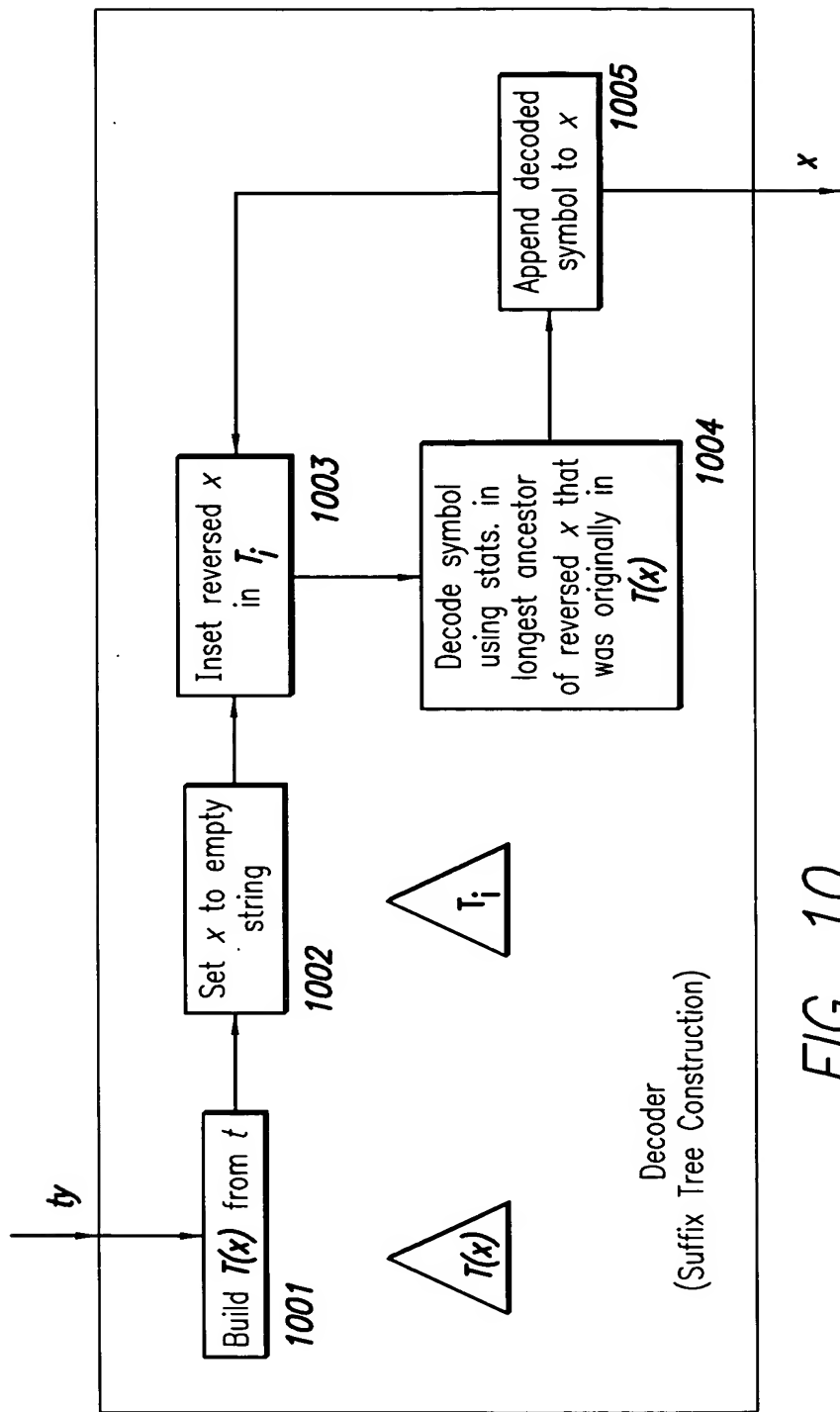


FIG. 10

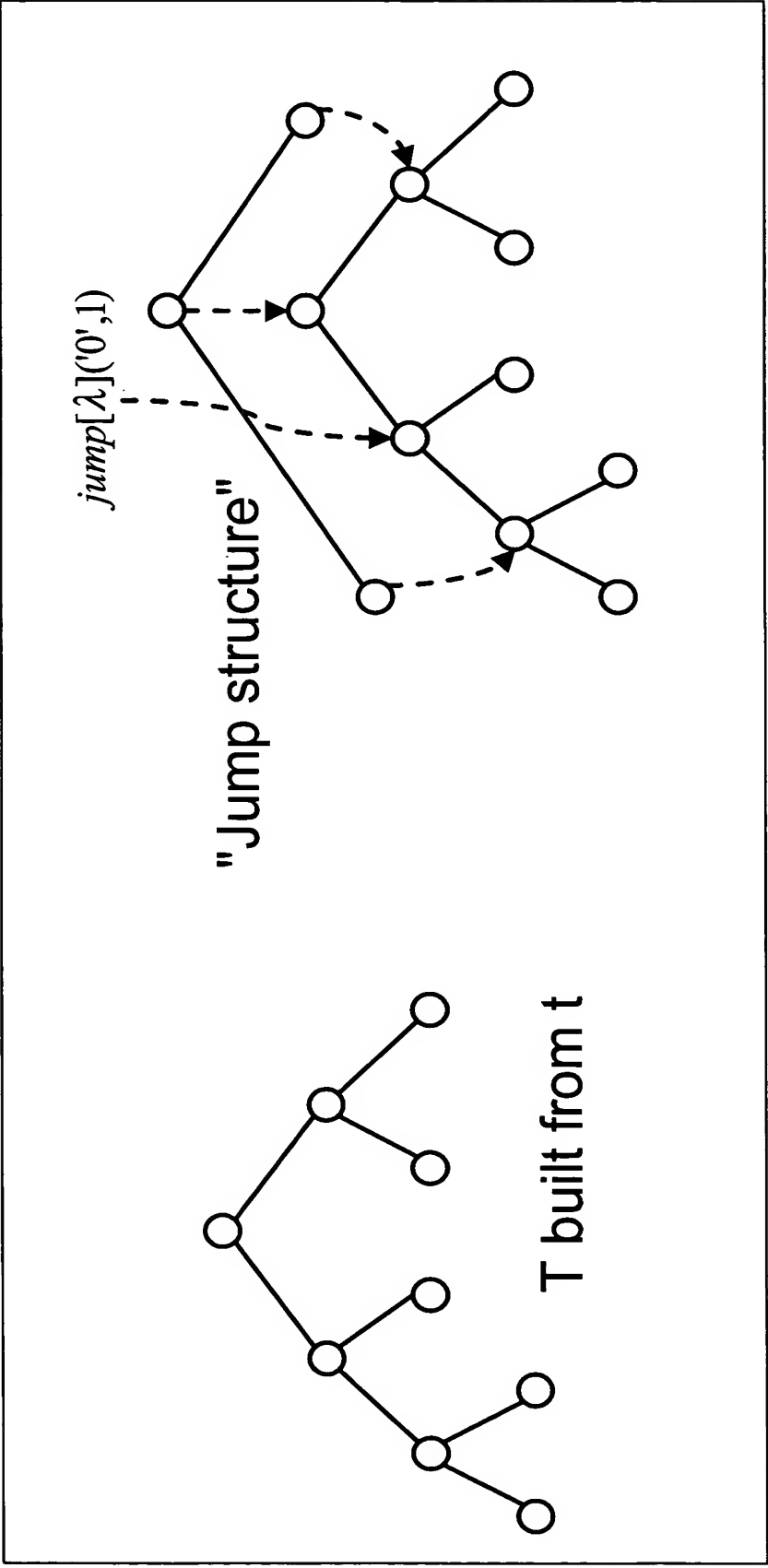


FIG. 11

FIG. 12

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1. Set  $\hat{T}'(x) = \text{compact}(T(x) - \text{leaves}(T(x)))$ 
2. Compute  $\hat{T}'_F(x)$ , FSM closure of  $\hat{T}'(x)$ 
3. Set  $\hat{s} = \lambda$  //Pointer to root node
4. Set  $\text{zlength} = 0$  and  $b = \lambda$ 
5. while not end of input
6.   if  $\text{zlength} > 0$ 
7.     Determine  $\text{head}(z)$  using symbols decoded so far
8.     if  $\hat{s}$  is an internal node of  $T(x)$  and  $\text{head}(z) \in A$ , set  $s = \hat{s}zb$ 
9.     else if  $\hat{s}$  is an internal node of  $T(x)$  and  $\text{head}(z) \notin A_{\hat{s}}$ , set  $s = \hat{s}\text{head}(z)$ 
10.    else if  $\hat{s}$  is a leaf of  $T(x)$ , set  $s = \hat{s}$ 
11.    else set  $s = \text{Origin}[\hat{s}]$ 
12.    //Note: in any case  $s$  is a pointer to a node in  $T(x)$ 
13.  else
14.    if  $\hat{s}$  is a node of  $T(x)$ , set  $s = \hat{s}$ 
15.    else set  $s = \text{Origin}[\hat{s}]$ 
16.  end if
17.  Decode next symbol using statistics in  $s$ 
18.  Update statistics in  $s$ 
19.  Set  $\hat{s}$  to next state in  $T_F$  according to the decoded symbol
20.  Update values of  $\text{zlength}$  and  $b$ 
21. end while

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Decoding Using Incomplete  
FSM closure

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1. Set  $\hat{T}'(x) = \text{compact}(T(x) - \text{leaves}(T(x)))$ 
2. Compute  $\tilde{T}'_F$ , FSM closure of  $T'(x)$ 
3. Set  $\tilde{s} = \lambda$  //Pointer to root node
4. Set  $\tilde{z}\text{length} = 0$  and  $\tilde{b} = \lambda$ 
5. while not end of input
6.     if  $\tilde{z}\text{length} > 0$ 
7.         Determine head ( $\tilde{z}$ ) and symbols decoded so far
8.         Create node  $\tilde{s}\tilde{z}$  splitting edge departing from  $\tilde{s}$  which first symbol is head( $\tilde{z}$ )
9.         Set  $r = \tilde{s}\tilde{z}$ 
10.        Set  $\text{Transitions}[r] = \text{Transitions}[\tilde{s}]$ 
11.        Verify*( $r$ )
12.    else
13.        Set  $r = s$ 
14.    end if
15.    if  $\tilde{b} \neq \lambda$ 
16.        Create node  $r\tilde{b}$ 
17.        Set  $\text{Transitions}[r\tilde{b}] = \text{Transitions}[r]$ 
18.        Verify*( $r\tilde{b}$ )
19.        Set  $s = r\tilde{b}$ 
20.    else
21.        Set  $s = r$ 
22.    end if
23.    Decode next symbol using statistics in  $\text{Origin}[s]$ 
24.    Update statistics in  $\text{Origin}[s]$ 
25.    Set  $\tilde{s}$  to next state in  $\tilde{T}'_F$  according to the decoded symbol
26.    Update values of  $\tilde{z}\text{length}$  and  $\tilde{b}$ 
27. end while

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Decoding Using Incremental  
FSM closure

FIG. 13

FIG. 14

<ol style="list-style-type: none"> <li>1. Initialize short-cut links for <math>T(x)</math></li> <li>2. Set <math>r' = \lambda</math> and <math>s = \lambda</math></li> <li>3. while not end of input</li> <li>4.     Decode <math>x_i</math> using statistics in <math>s</math></li> <li>5.     //Upwards traversal</li> <li>6.     Set <math>v = r'</math></li> <li>7.     while <math>v \neq \lambda</math> and <math>v</math> has no short-cut link of <math>v</math> for <math>x_i</math></li> <li>8.         Set <math>v = \text{PARENT}(v)</math></li> <li>9.     end while</li> <li>10.    if <math>v</math> has a short-cut link for <math>x_i</math></li> <li>11.       Set <math>w</math> = node pointed by short-cut link of <math>v</math> for <math>x_i</math></li> <li>12.    else</li> <li>13.       Set <math>w = \lambda</math></li> <li>14.    end if</li> <li>15.    if <math> w  &gt;  v  + 1</math></li> <li>16.       Split edge from <math>\text{PARENT}(w)</math> to <math>w</math> inserting node <math>x_i v</math></li> <li>17.       Set <math>r_{\text{new}} = x_i v</math></li> <li>18.       Set <math>u = v</math></li> <li>19.       while short-cut of <math>u</math> for <math>x_i = w</math></li> <li>20.          Set short-cut link of <math>u</math> for <math>x_i</math> pointing to <math>r_{\text{new}}</math></li> <li>21.          if <math>u \neq \lambda</math>, set <math>u = \text{PARENT}(u)</math></li> <li>22.       end while</li> <li>23.    else</li> <li>24.       //Downwards traversal</li> <li>25.       if <math>\text{Jump}[v]</math> defines a mapping for <math>x_i</math></li> <li>26.          Set <math>r_{\text{new}} = \text{last entrance of } \text{Jump}[v] \text{ for } x_i</math></li> <li>27.       else</li> <li>28.          Set <math>r_{\text{new}} = w</math></li> <li>29.          Set <math>j =  r_{\text{new}} </math></li> <li>30.          while <math>i - j &gt; 0</math> and <math>r_{\text{new}}</math> has a child in the direction of <math>x_i - j</math></li> <li>31.            Set <math>r_{\text{new}} = \text{child of } r_{\text{new}} \text{ in the direction of } x_i - j</math></li> <li>32.            Update <math>\text{Jump}[v]</math></li> <li>33.            Increment <math>j</math></li> <li>34.          end while</li> <li>35.       end if</li> <li>36.    end if</li> <li>37.    Add child to <math>r_{\text{new}}</math> representing suffix <math>\bar{x}^i</math></li> <li>38.    For all nodes in the path from <math>r'</math> to <math>v</math> (excluded)</li> <li>39.       Set short-cut link for symbol <math>x_i</math> pointing to the new node <math>\bar{x}^i</math></li> <li>40.    end for</li> <li>41.    Set <math>r' = r_{\text{new}}</math></li> <li>42.    Set <math>s = \text{longest prefix of } \bar{x}^i \text{ that was originally in } T(x)</math></li> <li>43. end while</li> </ol>	<p>Decoding Using Incremental Suffix Tree Construction</p>
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